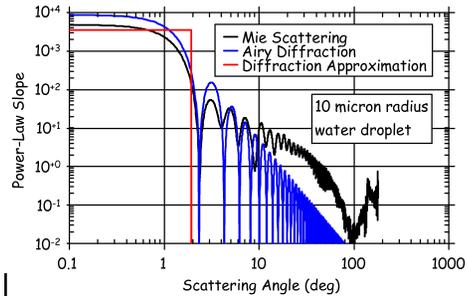


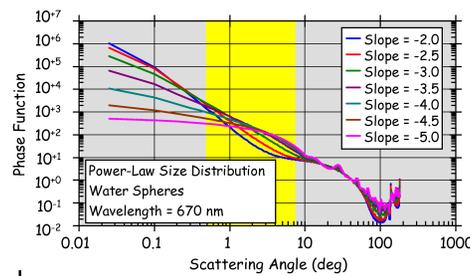
An Algorithm for Deriving Particle Size Distributions for Thin Clouds From Sun and Aureole Measurements Using a Diffraction Approximation

J.G. DeVore¹, A.T. Stair¹, S.A. Rappaport^{1,2}

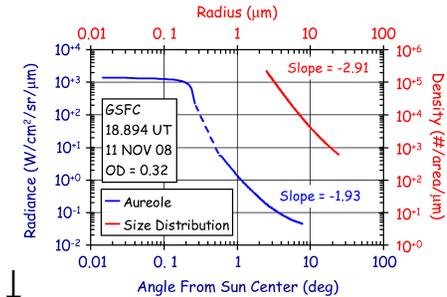
1. Diffraction Approximation



4. PL Distributions of Droplets



7. Example 2: Cirrostratus



2. Key Theoretical Result

The differential density of spherical scatterers, $n(r)$ (#/area/ μm), of radius r (μm) in the column between the observer and the Sun, can be found from

$$n(r) \propto -\theta^6 \frac{\partial A(\theta)}{\partial \theta}$$

where from simple diffraction theory

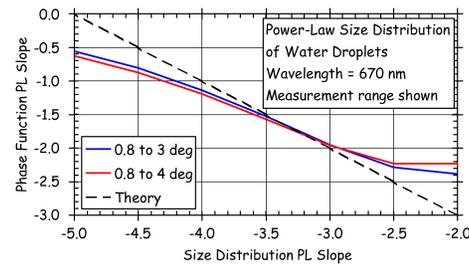
$$r = \lambda / 2\theta, \text{ and}$$

$$\lambda = \text{wavelength } (\mu\text{m})$$

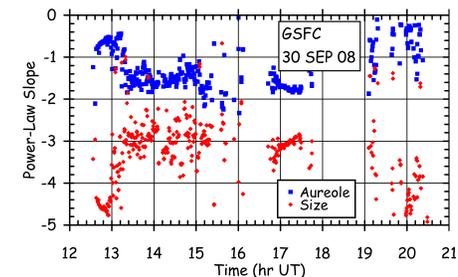
$$\theta = \text{the angle from center of Sun (rad)}$$

$$A(\theta) = \text{the aureole radiance (W/cm}^2\text{/sr)}$$

5. Mie Scattering Confirmation



8. Time Series of PL Slopes



3. Power-Law (PL) Distributions

When $n(r)$ is represented by a power-law in radius

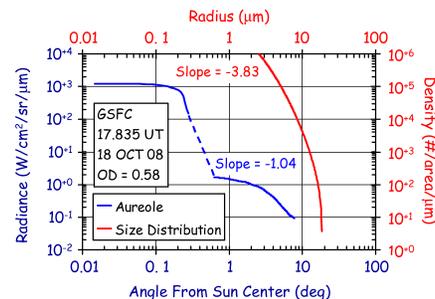
$$n(r) \propto r^{-\alpha}$$

then the forward lobe of the phase function, $P(\theta)$, and a resulting aureole, $A(\theta)$, also follow a power-law

$$A(\theta) \propto P(\theta) \propto \theta^{\alpha-5}$$

Furthermore, the sum of the PL slopes of the size distribution and the aureole is -5 even if an Airy function is used.

6. Example 1: Cumulus



9. Conclusion

The diffraction approximation is a simple, but useful way of retrieving particle size information for thin clouds using SAM measurements of Sun and aureole radiance.



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¹Science and Engineering Applications Corporation
Burlington, MA 01803

²Department of Physics, MIT
Cambridge, MA 02139

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Contact: J. DeVore
devore@ScEAC.com
781-791-3209
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